

# Jet observables in heavy ion collisions

Where to start?

What to look at?

Based in large part on

Review of Jet Measurements in Heavy Ion Collisions

Megan Connors, Christine Nattrass, Rosi Reed, Sevil Salur

<https://arxiv.org/abs/1705.01974>

But I take responsibility for mistakes

# Some of the main points

- Measurement techniques – including biases – need to be taken into account
- Background subtraction should be considered part of the measurement
  - Therefore Jetscape should include the background subtraction algorithms in their implementation of the calculations
- Unfolded measurements might include (unknown) biases from the MC used for the unfolding
  - Amount depends on measurement
  - Some measurements are less sensitive than others
- Not all measurements are necessarily that sensitive to medium properties
  - Of course that is what Jetscape should help us understand!

# More about background

- **Our summary of the ATLAS method:**

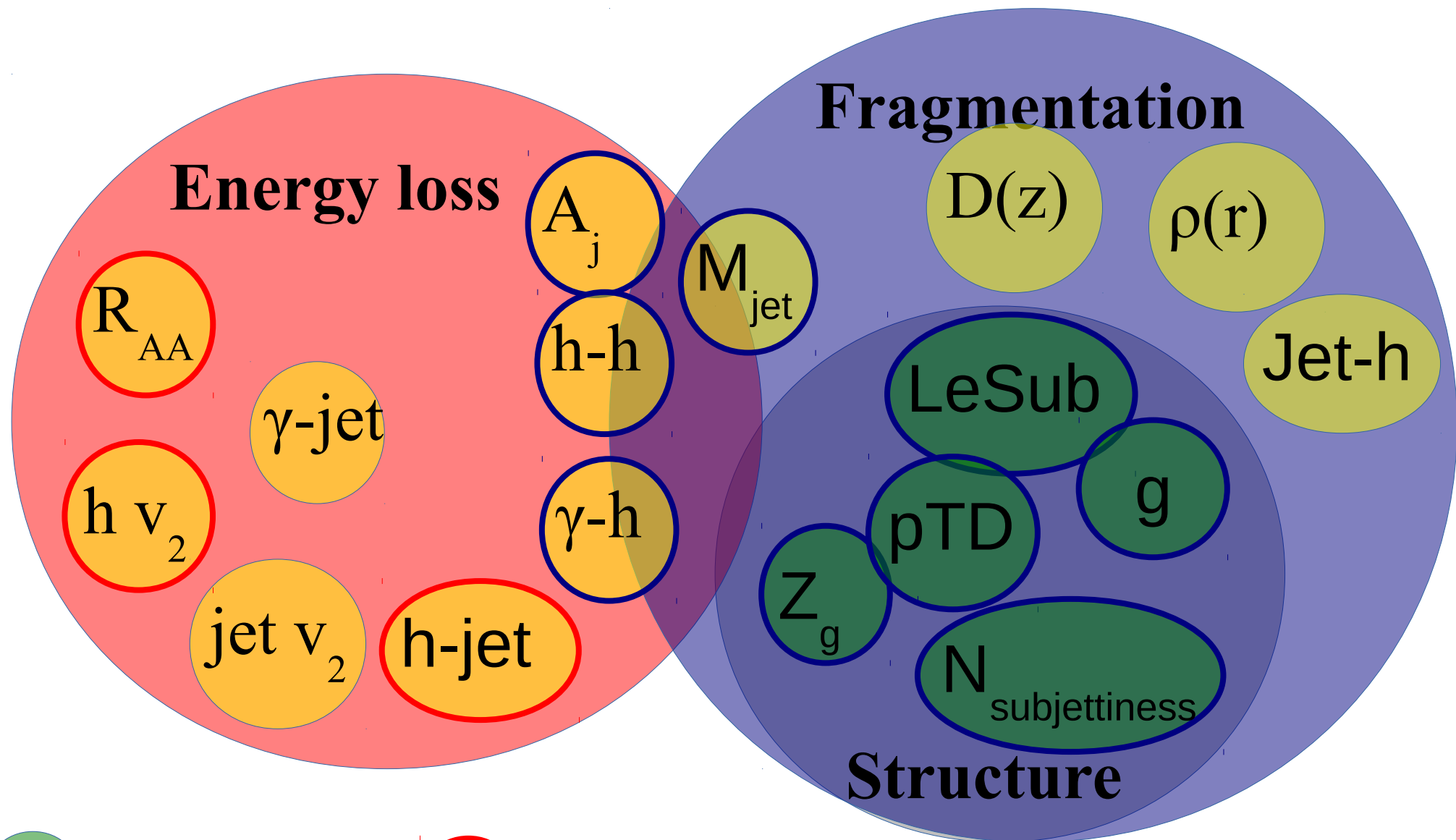
We outline the approach in~\cite{Aad:2012vca}. We note that the details of the analysis technique are optimized for each observable. ATLAS measures both calorimeter and track jets. Track jets are reconstructed using charged tracks with  $p_T \gtrsim 4 \text{ GeV}$ . The high momentum constituent cut strongly suppresses combinatorial jets, and ATLAS estimates that a maximum of only 4% of all  $R \approx 0.4$  track jet candidates in 0-10% central Pb collisions contain a 4 GeV-background track. For calorimeter jet measurements, ATLAS estimates the average background energy per unit area and the  $\sqrt{s}$  using an iterative procedure~\cite{Aad:2012vca}. In the first step, jet candidates with  $R \approx 0.2$  are reconstructed. The background energy is estimated using the average energy modulated by the  $\sqrt{s}$  calculated in the calorimeters, excluding jet candidates with at least one tower with  $E_T \gtrsim \text{mean} E_T$ . Jets from this step with  $E_T \gtrsim 25 \text{ GeV}$  and track jets with  $p_T \gtrsim 10 \text{ GeV}$  are used to calculate a new estimate of the background and a new estimate of  $\sqrt{s}$ , excluding all clusters within  $\Delta R \lesssim 0.4$  of these jets. This new background modulated by the new  $\sqrt{s}$  and jets with  $E_T \gtrsim 20 \text{ GeV}$  were considered for subsequent analysis. Combinatorial jets are further suppressed by an additional requirement that they match a track jet with high momentum (e.g.  $p_T \gtrsim 7 \text{ GeV}$ ~\cite{Aad:2012vca}) or a high energy cluster (e.g.  $E_T \gtrsim 7 \text{ GeV}$ ~\cite{Aad:2012vca}) in the electromagnetic calorimeter.

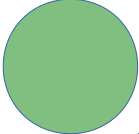
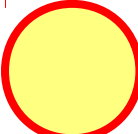
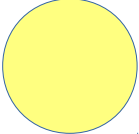
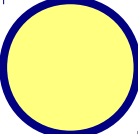
→ **Strongly biases the result**

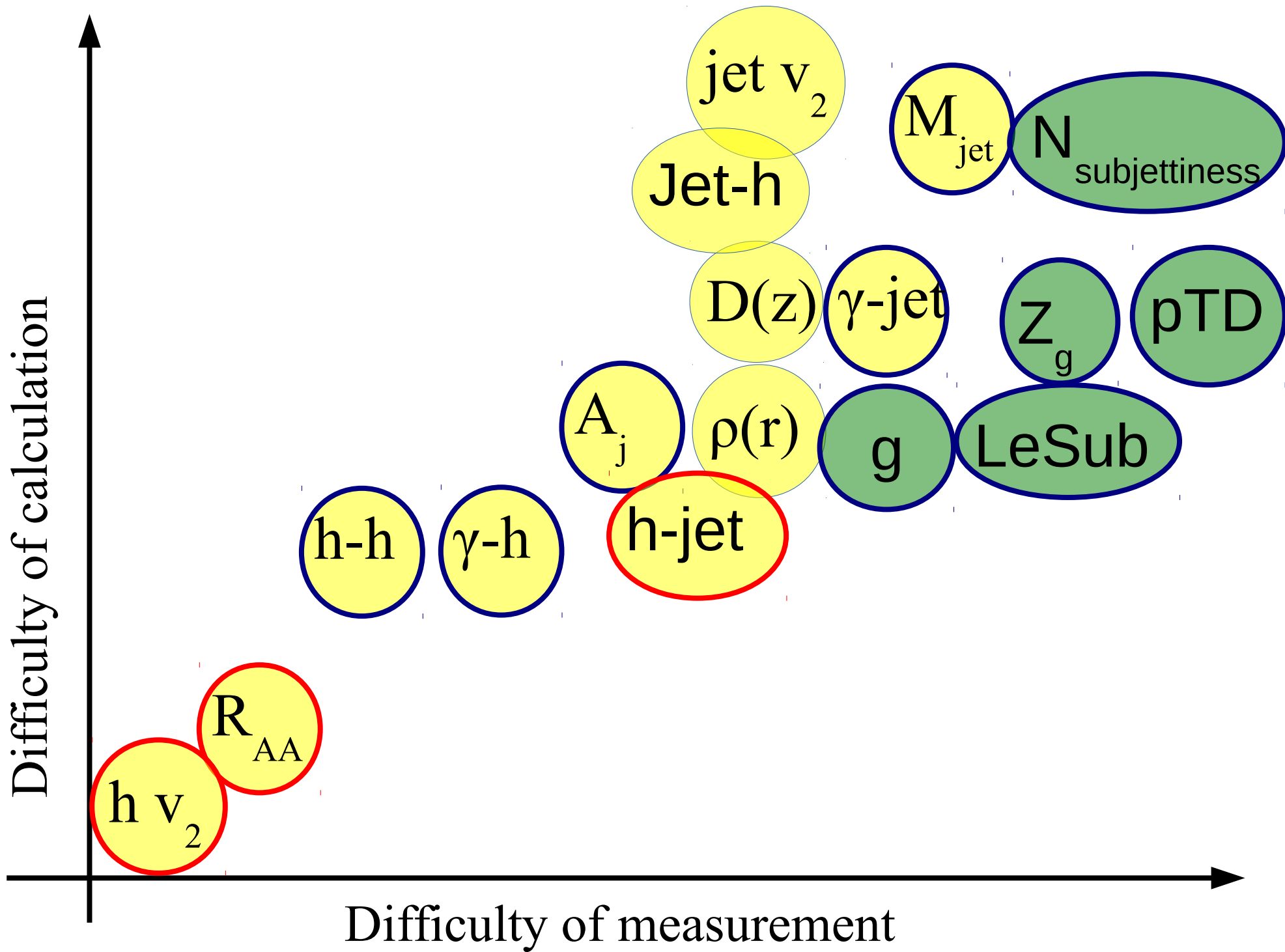
# My understanding of goals of this working group

- Observable to develop systematic uncertainty framework
  - More detailed studies will follow but this is what is needed now
- Where to **start**: straightforward observable
  - Easy to understand the measurement
  - Easy to implement in MC
  - Some reasonable estimate of correlation between systematic uncertainties
  - Should be published already
  - **Single particle  $R_{AA}$  or particle spectra,**
  - **Single particle  $v_2$  at high  $p_T$**
- I know some will be disappointed and disagree, but I think this is the most logical place to start

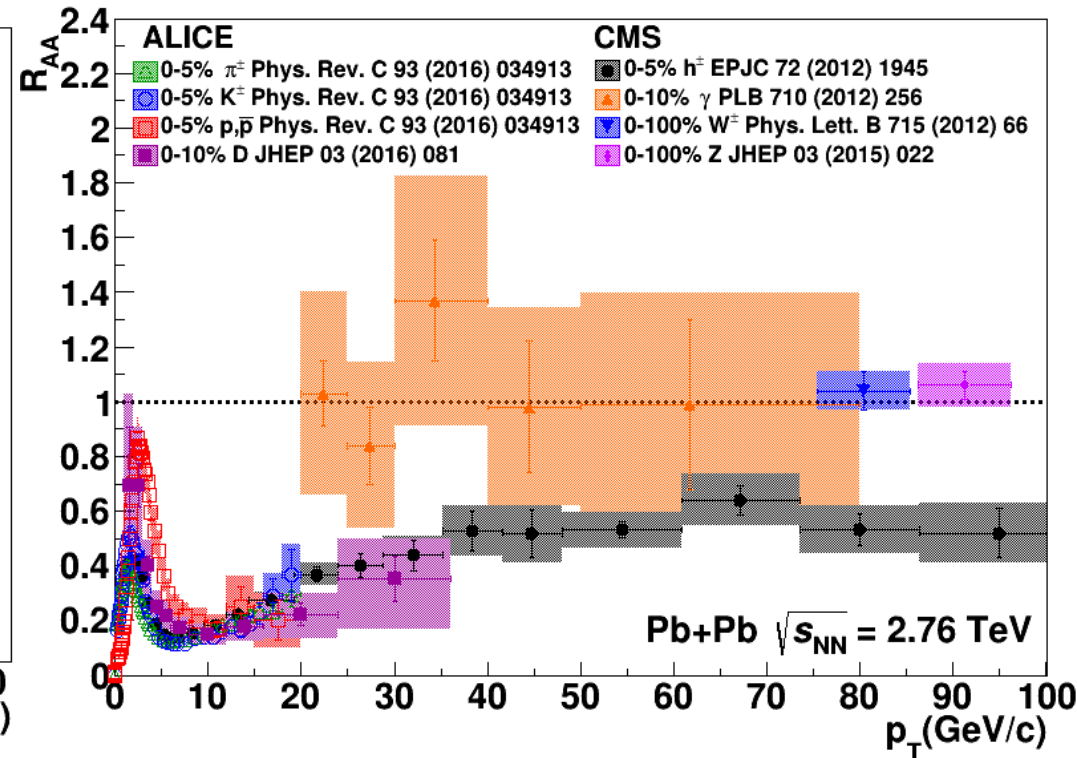
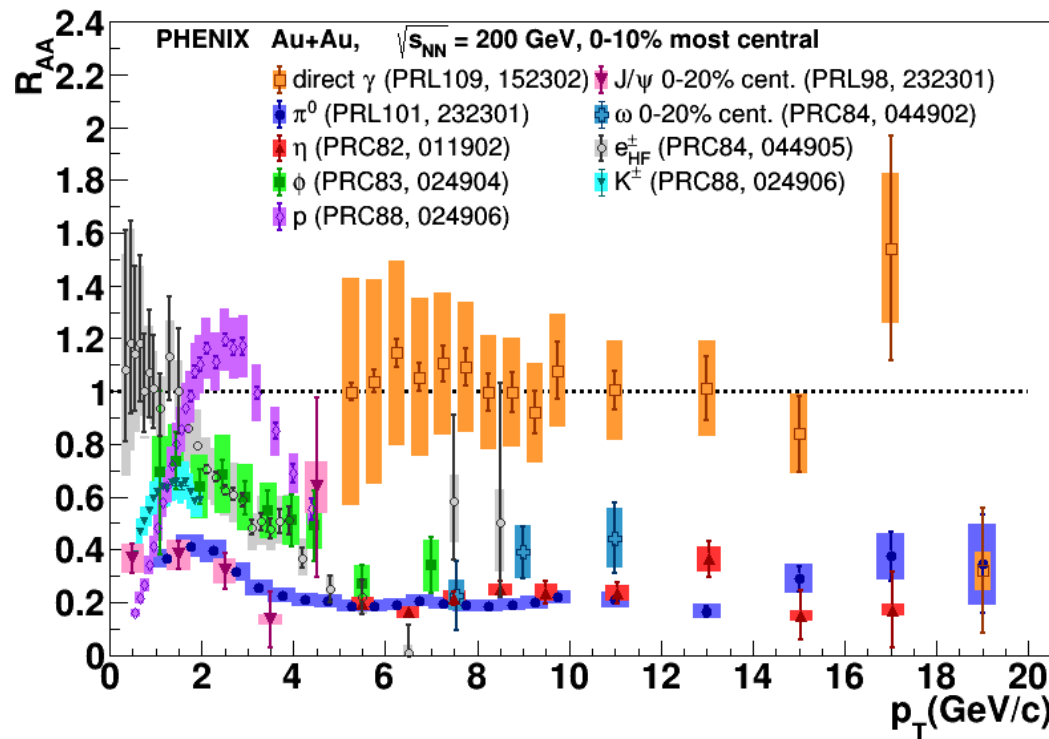
# Observables



-  Preliminary
-  Calculated within a realistic model
-  Published
-  Calculated within some model



# Single particle $R_{AA}$



- Good test case for development of uncertainties, correlations between experiments
- Particles available:  $h$ ,  $\pi$ ,  $p$ ,  $\eta$ ,  $\omega$ ,  $\Lambda$ ,  $K$ ,  $\phi$ ,  $\Omega$ ,  $\Xi$ ,  $\gamma$ ,  $W$ ,  $Z$ ,  $c, b \rightarrow e$ ,  $D$ ,  $J/\psi$ ,  $B$

# PHENIX classification of types of systematic uncertainties

Phys. Rev. C 77, 064907

- **Type A:** Uncorrelated point to point (e.g. statistical)
- **Type B:** Correlated point to point
- **Type C:** Scale uncertainties
  - Correlated within one experiment
  - Correlated between several experiments: TAA
- Most PHENIX papers already use this and most uncertainties probably fit into this category fairly well.
- Not sure how uncertainty in correlations between uncertainties are treated

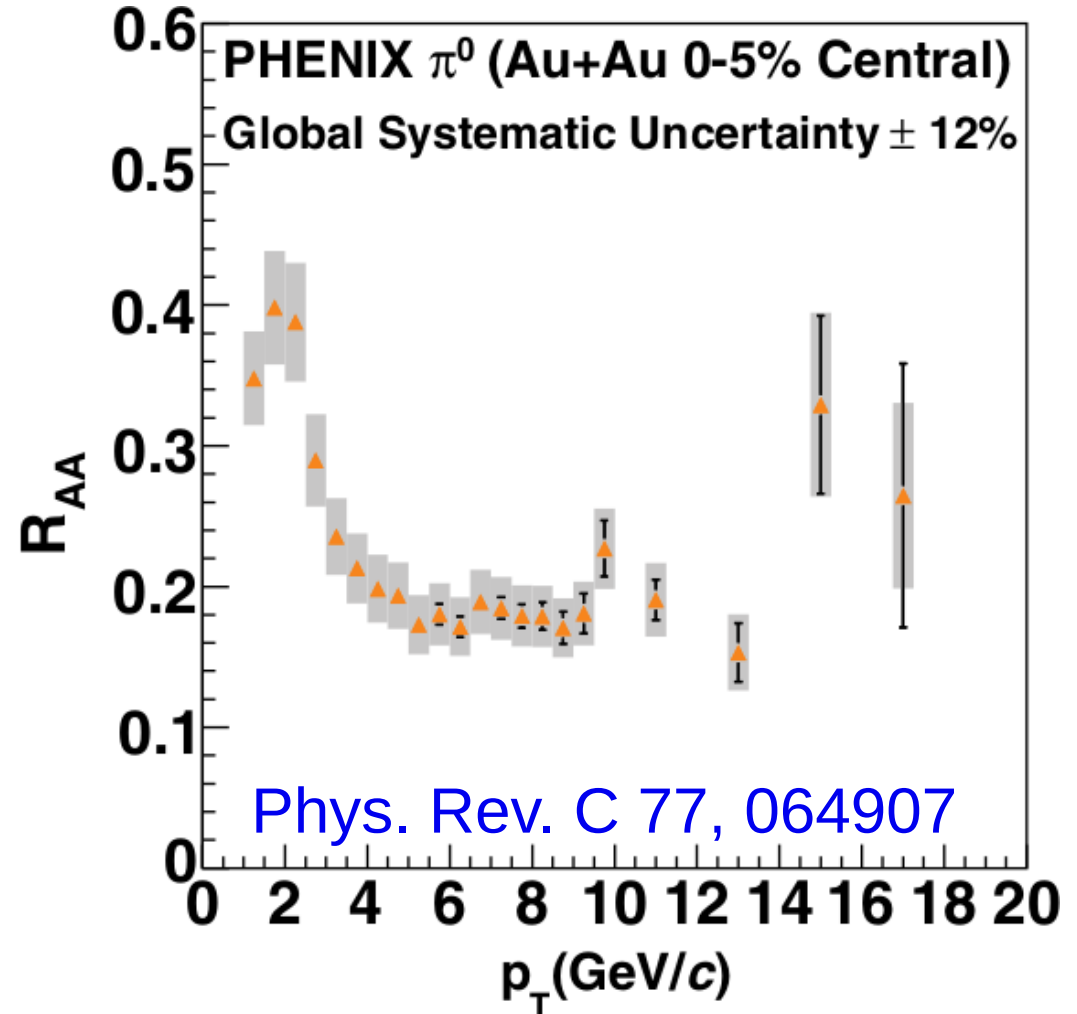
Many thanks to Megan Connors & Mike Tannenbaum for pointing me to this paper!!!



# Example: PHENIX $R_{AA}$

TABLE I. The  $\pi^0$  nuclear suppression factor  $R_{AA}$  as a function of transverse momentum for 0-5% Au+Au collisions at  $\sqrt{s_{NN}} = 200$  GeV. The type A, B, and C uncertainties are tabulated for each point.

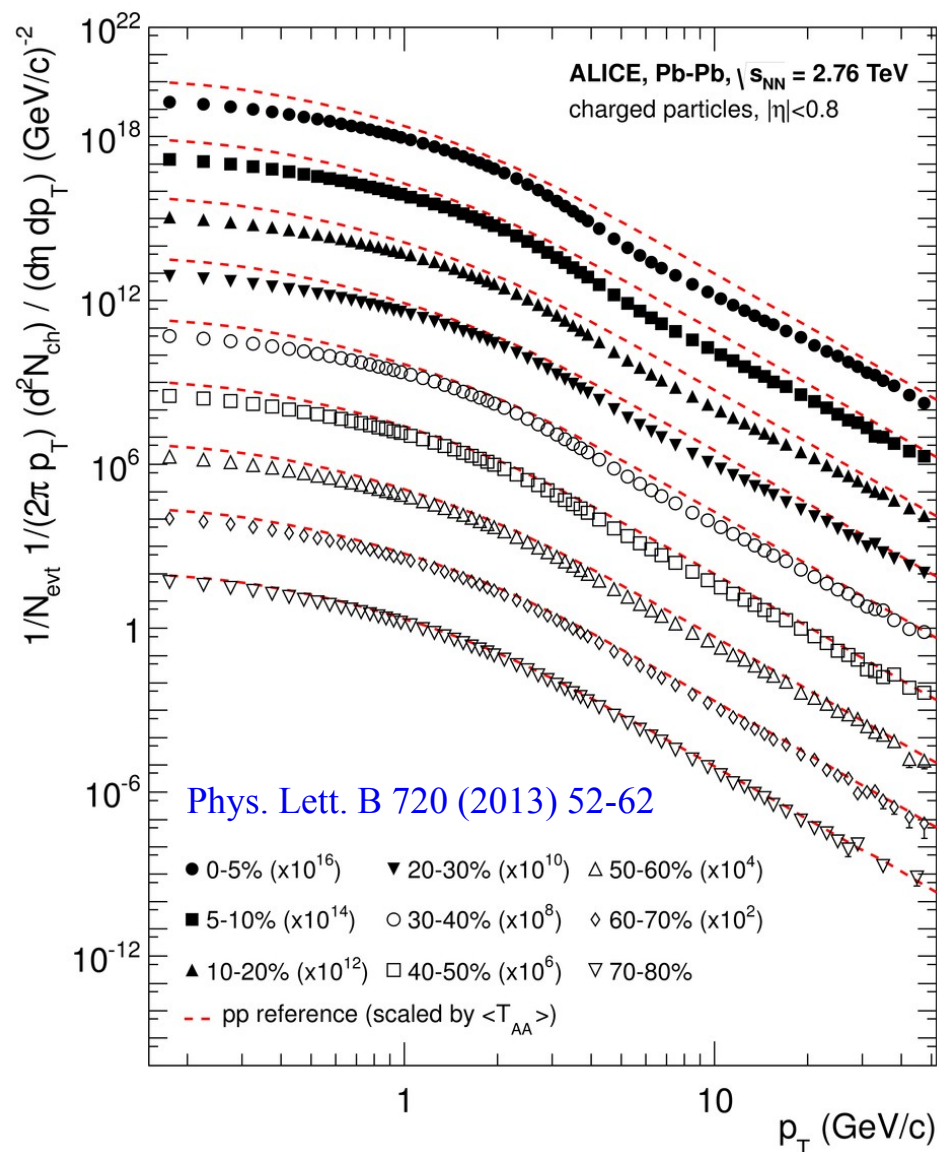
$p_T$ (GeV/c)	$R_{AA}$	Type A uncertainty	Type B uncertainty	Type C uncertainty
1.25	0.347	$\pm 0.007$	$\pm 0.033$	$\pm 0.041$
1.75	0.398	$\pm 0.007$	$\pm 0.040$	$\pm 0.047$
2.25	0.387	$\pm 0.007$	$\pm 0.042$	$\pm 0.046$
2.75	0.289	$\pm 0.006$	$\pm 0.032$	$\pm 0.034$
3.25	0.235	$\pm 0.005$	$\pm 0.027$	$\pm 0.028$
3.75	0.21	$\pm 0.005$	$\pm 0.024$	$\pm 0.025$
4.25	0.198	$\pm 0.005$	$\pm 0.024$	$\pm 0.023$
4.75	0.193	$\pm 0.006$	$\pm 0.023$	$\pm 0.023$
5.25	0.172	$\pm 0.006$	$\pm 0.021$	$\pm 0.020$
5.75	0.180	$\pm 0.007$	$\pm 0.021$	$\pm 0.021$
6.25	0.171	$\pm 0.007$	$\pm 0.020$	$\pm 0.020$
6.75	0.189	$\pm 0.007$	$\pm 0.022$	$\pm 0.022$
7.25	0.184	$\pm 0.008$	$\pm 0.022$	$\pm 0.022$
7.75	0.179	$\pm 0.008$	$\pm 0.021$	$\pm 0.021$
8.25	0.178	$\pm 0.010$	$\pm 0.021$	$\pm 0.021$
8.75	0.170	$\pm 0.011$	$\pm 0.020$	$\pm 0.020$
9.25	0.180	$\pm 0.014$	$\pm 0.022$	$\pm 0.021$
9.75	0.226	$\pm 0.019$	$\pm 0.028$	$\pm 0.027$
11.00	0.190	$\pm 0.014$	$\pm 0.026$	$\pm 0.022$
13.00	0.153	$\pm 0.020$	$\pm 0.027$	$\pm 0.018$
15.00	0.329	$\pm 0.063$	$\pm 0.065$	$\pm 0.039$
17.00	0.264	$\pm 0.093$	$\pm 0.065$	$\pm 0.031$



- Great example for development of software because the uncertainties are already broken down

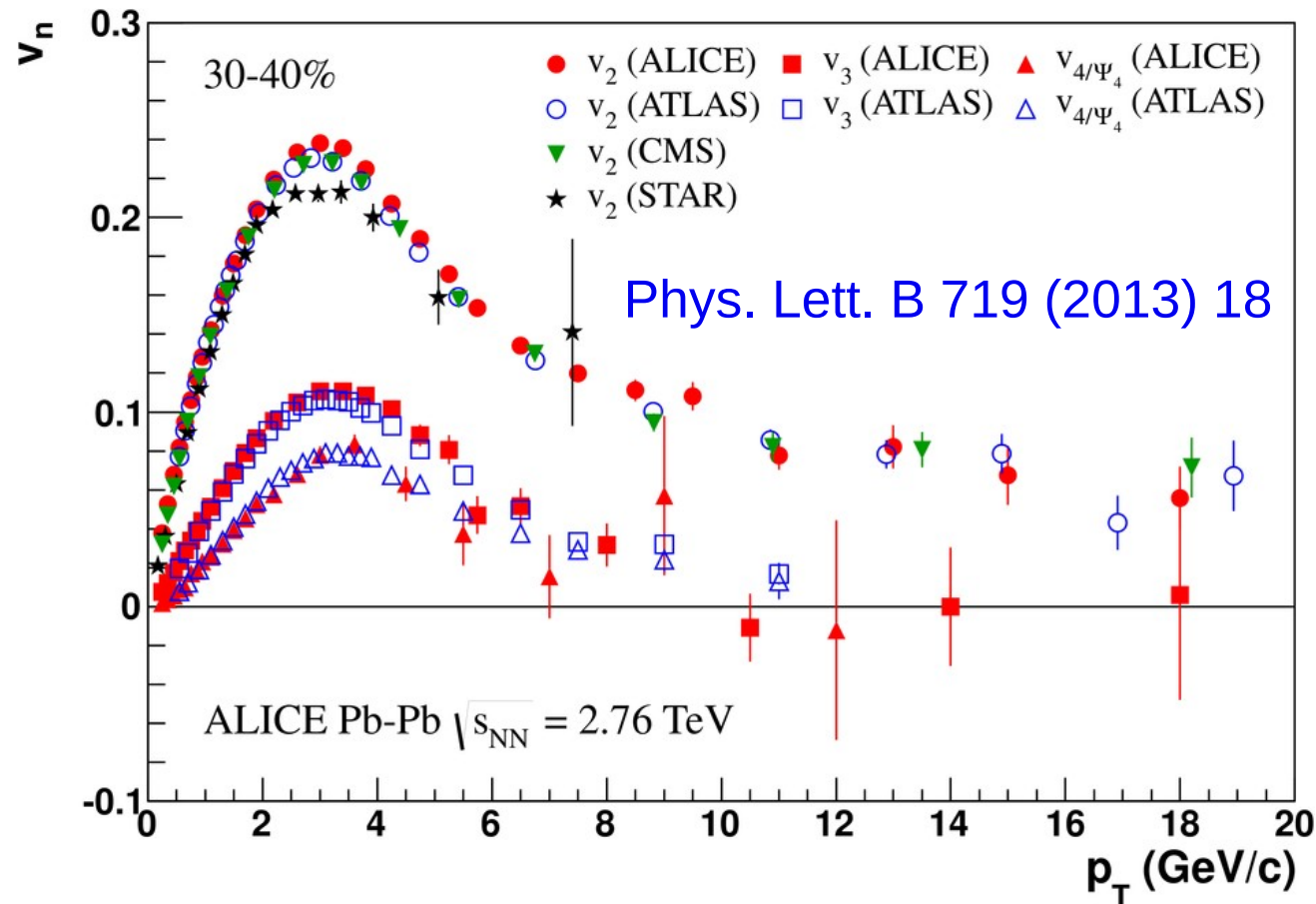
# Example: ALICE $R_{AA}$

Centrality class	0–5%	70–80%
Centrality selection	0.4%	6.7%
Event selection	3.2%	3.4%
Track selection	4.1–7.3%	3.6–6.0%
Tracking efficiency	5%	5%
$p_T$ resolution correction	<1.8%	<3%
Material budget	0.9–1.2%	0.5–1.7%
Particle composition	0.6–10%	0.5–7.7%
MC generator	2.5%	1.5%
Secondary particle rejection	<1%	<1%
Total for $p_T$ spectra	8.2–13.5%	10.3–13.4%
Total for pp reference	6.3–18.8%	
pp reference normalization	1.9%	



- This is an approximation, but probably reasonable. It would take more information than is available in the paper for a better approximation.

# Example: ALICE high $p_T$ $v_n$

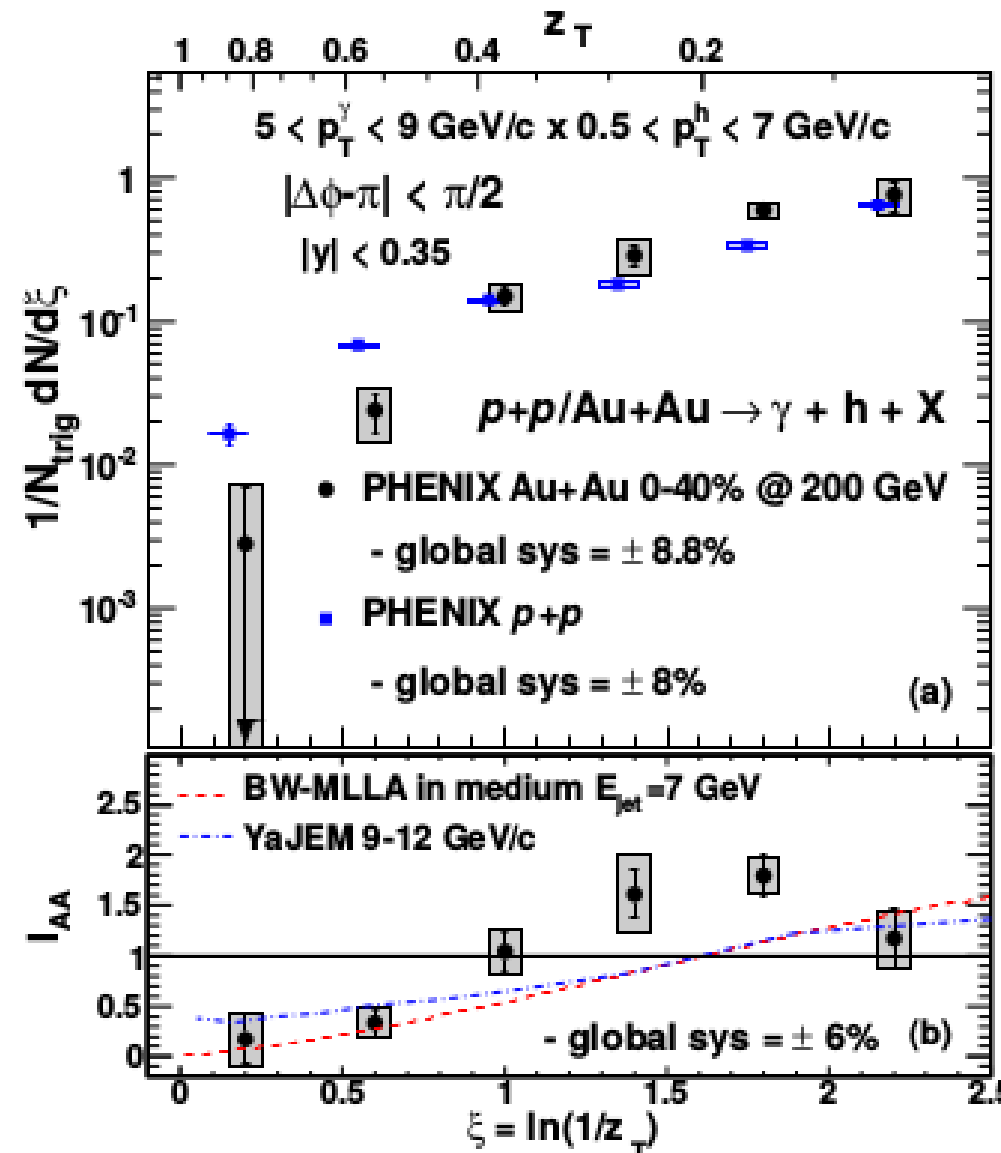


- Systematic uncertainties are probably correlated point to point (**Type B**) to a good approximation
- Observable is clearly defined and uncertainties are small

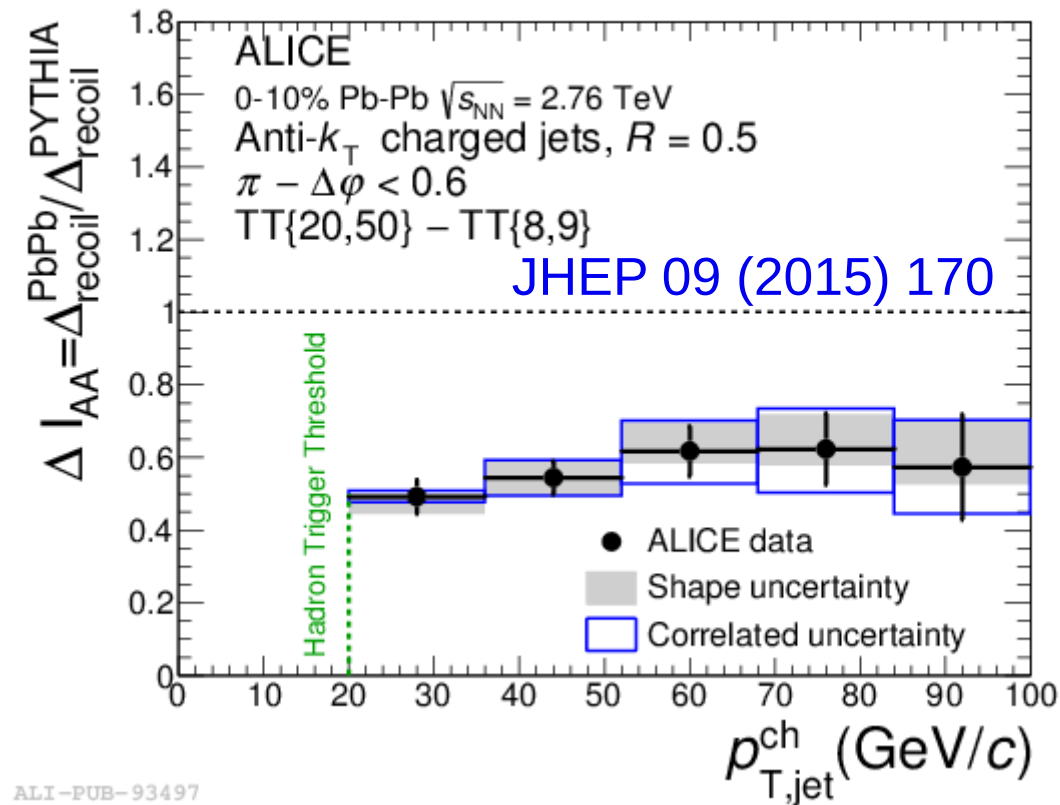
# $\gamma$ -hadron correlations

Phys. Rev. Lett. 111, 032301 (2013)

- **Type A:** statistical uncertainties
- **Type B:** systematic uncertainties on plot
- **Type C:** global systematic on plot
- May be sensitive to background subtraction method ( $v_1$ )



# Hadron-jet correlations



- Uncertainties already broken into **Type A** (statistical, shape uncertainties) and **Type B** (correlated uncertainty)
- Method is not trivial to implement

# Thoughts on other observables

- **Jet  $R_{AA}$ :** Need implementation of experiments' methods
- **$A_j$ :**
  - Only one ATLAS measurement is fully corrected for detector effects and therefore even possible to compare.
  - Unclear if this observable is actually sensitive.
  - Also need to take experimental kinematic cuts into account fully.
- **Dihadron correlations:** don't count them out! Yes there are some methodological problems but application of the techniques to MC is straightforward.
- **$Z_g$ , LeSub,  $p_T^D$ ,  $g$ ,  $N_{\text{subjettiness}}$ :** All still preliminary!

Backup

# Background: ALICE/STAR

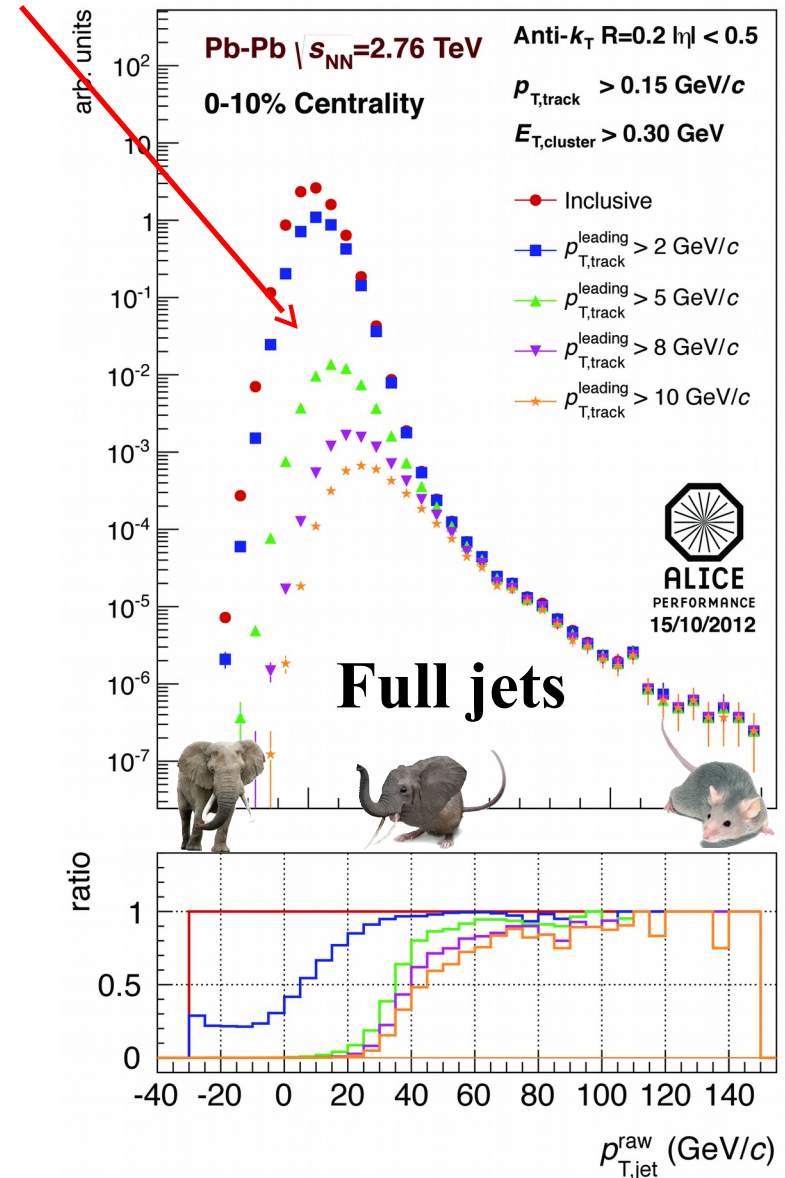
## Combinatorial “jets”

- Estimate combinatorial jet contributions and its fluctuations from data
- Require leading track  $p_T > 5 \text{ GeV}/c$ 
  - Suppresses combinatorial “jets”
  - Biases fragmentation
- No threshold on constituents
- Limited to small R

Measured spectra:

$$p_{T,jet}^{unc} = p_{T,jet}^{rec} - \rho A$$

Where  $p_{T,jet}^{rec}$ ,  $A$   
comes from FastJet anti- $k_T$  algorithm



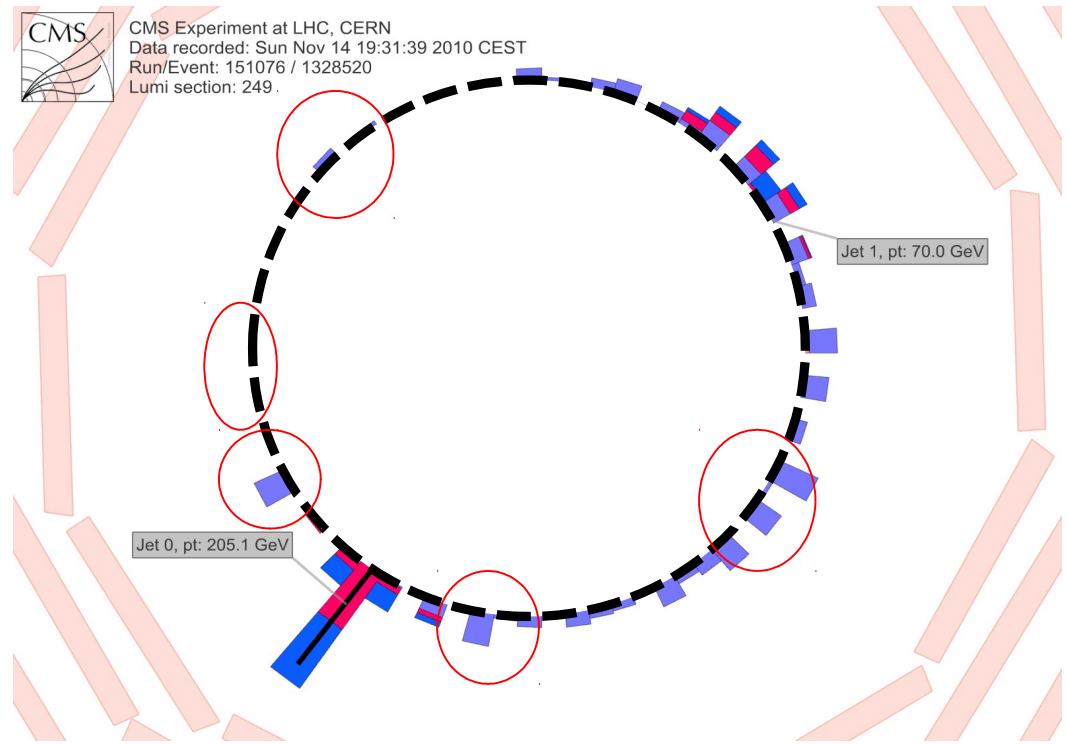
ERF-44496



# Background: CMS

Background is estimated

- for each calorimeter ring of constant  $\eta$
- subtracted before jet finding
- re-iterated after excluding the jets found in the first iteration



**Fake Jets:** After the background subtraction, some local fluctuations remain!  
Fluctuations will deteriorate the jet resolution in central events.

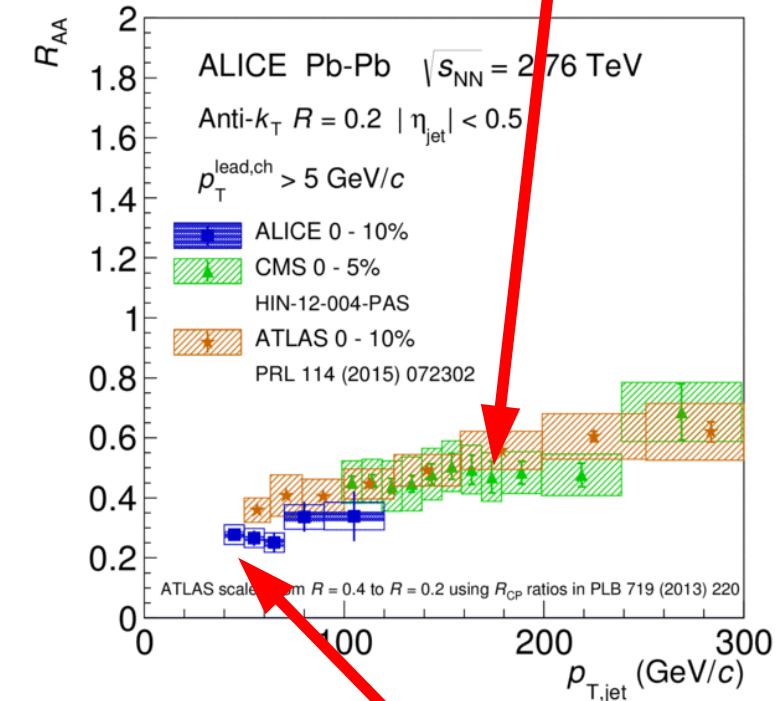
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# Background: ATLAS

- Iterative procedure
  - **Calorimeter jets:** Reconstruct jets with  $R=0.2$ .  $v_2$  modulated  $\langle \text{Bkgd} \rangle$  estimated by energy in calorimeters excluding jets with at least one tower with  $E_{\text{tower}} > \langle E_{\text{tower}} \rangle$   
**Track jets:** Use tracks with  $p_T > 4$  GeV/c
  - Calorimeter jets from above with  $E > 25$  GeV and track jets with  $p_T > 10$  GeV/c used to estimate background again.
- Calorimeter tracks matching one track with  $p_T > 7$  GeV/c or containing a high energy cluster  $E > 7$  GeV are used for analysis down to  $E_{\text{jet}} = 20$  GeV

Constituent biases  
don't matter that much  
up here



Definitely imposes a bias, especially at 20 GeV!  
We should treat that bias as a tool, not a handicap

